## **ABSTRACT OF THE DISCLOSURE**

Disclosed are selective inhibitors of matrix metalloproteinases represented by the following formula (I).

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wherein X is  $(CH_2)_nO$ ,  $(CH_2)_nS$ ,  $(CH_2)_nNR^1$ ,  $(CH_2)_n(CH_2)$ , or CH=CH, wherein n=0, 1, or 2; R and  $R^1$  are, independently, a substituted or unsubstitued alkyl, alkenyl, alkynyl, aryl, heteroaryl group, cycloalkyl, heterocycloalkyl, cycloalkenyl, or heterocycloalkenyl; and Z is NH or CH<sub>2</sub>; or a pharmaceutically acceptable salt thereof. Also disclosed are methods of making such compounds and methods of using such compounds to inhibit tumor progression and to treat diseases such as arthritis.

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